

Pareto Bayes

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X X
 $F(x, a) = (ax)^n$
 $f(x, a) = ax^{(n)}_x$
 a a
 n n
 R_j m n
 n H R X n
 n H H X n

$$M = n(n - R)(n - R - R) \left(n \prod_j^m (R_j) \right)$$

$$L(a | x) = M \cdot m \cdot a \prod_j^m \left[\left(R_j \right) \right] \left(\frac{x_j}{a} \right)$$

$$T = \prod_j^m \left(R_j \right) \left(\frac{x_j}{a} \right)$$

$$S() = \frac{(\quad)}{(\quad)}$$

$$\frac{E(\quad | X)}{E(\quad | X)}$$

$$X = (X_1, X_2, \dots, X_n)$$

$$(\quad)$$

$$\frac{m}{T}$$

$$E(\cdot | X) = h(a | x)d$$

$$h(a|x) = \frac{\binom{T}{m}^m}{\binom{m}{m}} e^{-(T-m)a}$$

$$E(a^q|X) = \int_0^T h(a|x) a^q da = \frac{\binom{T}{m}^m}{\binom{m}{m}} \int_0^T e^{-(T-m)a} a^q da = \frac{\binom{m+q}{m} (T-m)^{-q}}{\binom{m}{m} (T-m)^q}$$

$$E(a^q|X) = \int_0^T h(a|x) a^q da = \frac{\binom{T}{m}^m}{\binom{m}{m}} \int_0^T e^{-(T-m)a} a^q da = \frac{\binom{m+q}{m} (T-m)^{-q}}{\binom{m}{m} (T-m)^q}$$

$$\left[\frac{E(a^q|X)}{E(a^q|X)} \right]^{-q} = \left[\frac{\binom{m+q}{m} (T-m)^{-q}}{\binom{m}{m} (T-m)^q} \right]^{-q} = T$$

$$d(c) = \frac{U(c)}{U(c)} = \frac{c}{c} = 1$$

$$E(X) = \int_0^{\infty} x f(x) dx = \int_0^{\infty} x \frac{c \lambda^c x^{c-1} e^{-\lambda x}}{\Gamma(c) \lambda^c} dx$$

$$= \frac{c}{\Gamma(c)} \int_0^{\infty} x^c e^{-\lambda x} dx$$

$$= \frac{c}{\Gamma(c)} \frac{\Gamma(c)}{\lambda^c} = \frac{c}{\lambda}$$

B

$B(a, b)$

$E(B(a, b)) = \int_0^1 x p(x) dx$

D

$B(a, b) = \int_0^1 x^{a-1} (1-x)^{b-1} dx$

D a b

$p(x) = \frac{\Gamma(a+b)}{\Gamma(a)\Gamma(b)} x^{a-1} (1-x)^{b-1}$

$B(a, b)$

b

=

$$\int_0^1 x^a (1-x)^{b-1} dx = \frac{\Gamma(a+1)\Gamma(b)}{\Gamma(a+b+1)}$$

Pareto

Bayes

q

$n m$

$\theta \delta \delta$

n

m

μ

$n m$

$\delta \delta$

n

m

c

n m

HB, EB

n

m

HB

EB
